

Thursday Sept. 21

Lecture 5

Why OO

Observe

P^1
 $\cdot(x_1, y_1)$
2
3

P^2
 $\cdot(x_2, y_2)$
2
3

template

Model

class {
Point

int x;
int y;

}

Expect

$P^1 \rightarrow$ Point
x | 2
y | 3

$P^2 \rightarrow$ Point
x | 2
y | -3

P1

P2

context → object

P1. get()

method

P1. moveUp(2)

not rotation

P2. `getY()`
P2. `moveUp(2)`

Point objects

The diagram shows a Cartesian coordinate system with a horizontal x-axis and a vertical y-axis. Four points are plotted: $P_1(2, 3)$ in the first quadrant, $P_2(2, -1)$ in the fourth quadrant, $P_3(2, 3)$ which coincides with P_1 , and $P_4(2, -3)$ in the fourth quadrant.

→ calling the same method on different complex objects may give you different results.

Given some natural language

requirements,

NR can :

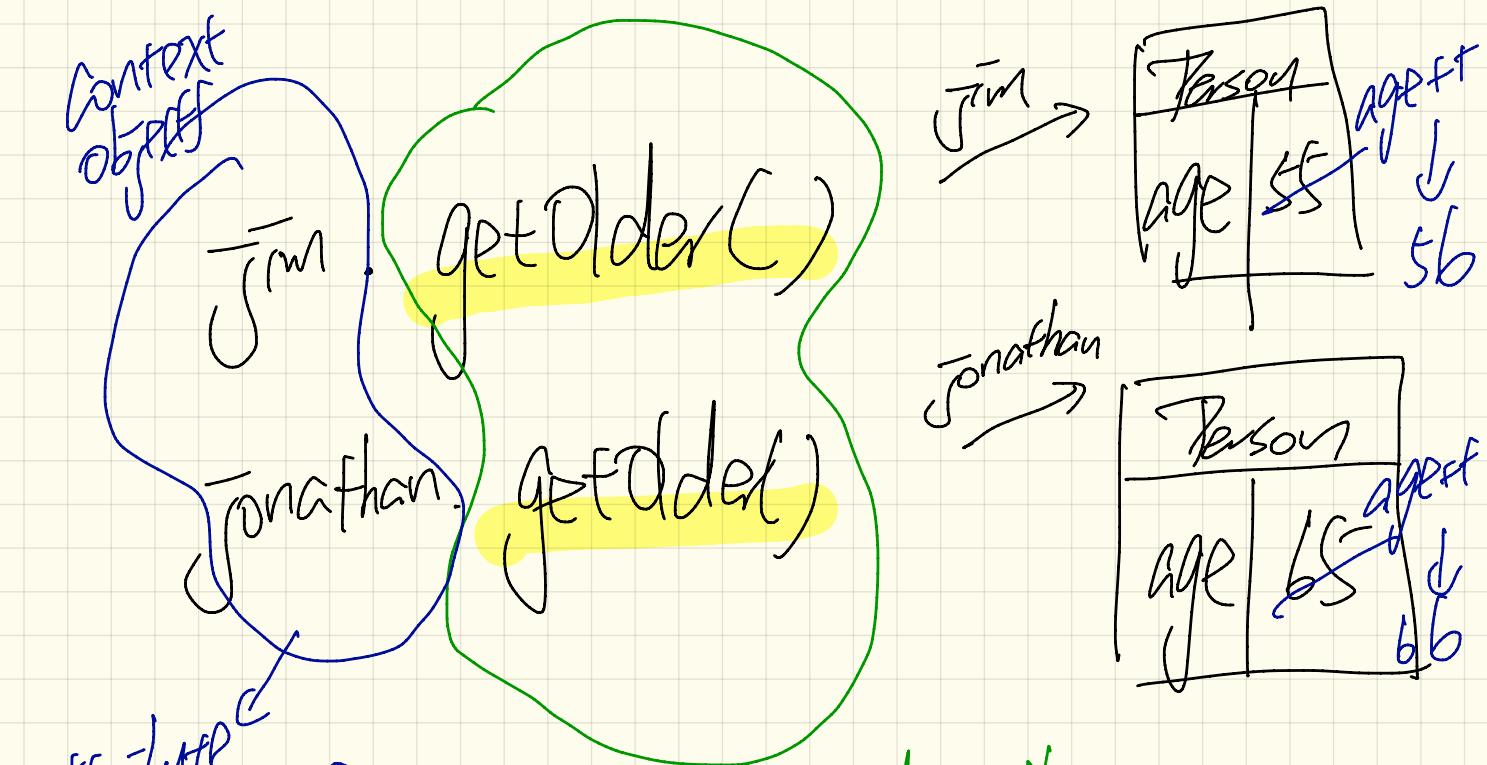
1. Identify nouns

either classes

or attributing

- change attributes
- ask something about attributes

2. Identify verbs as
methods.

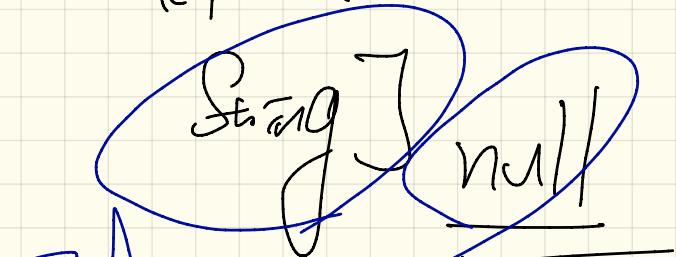
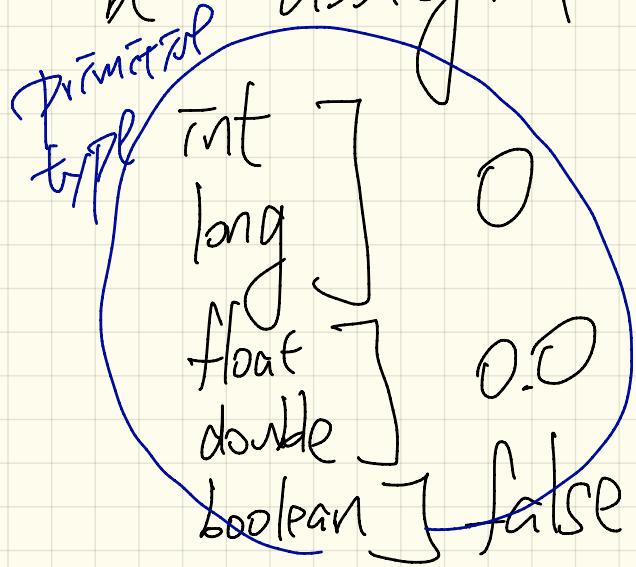


These two method calls share the same definition:

`age ++;`

default values

When uninitialized, variables can be assigned their default values



no address
of string object being stored.

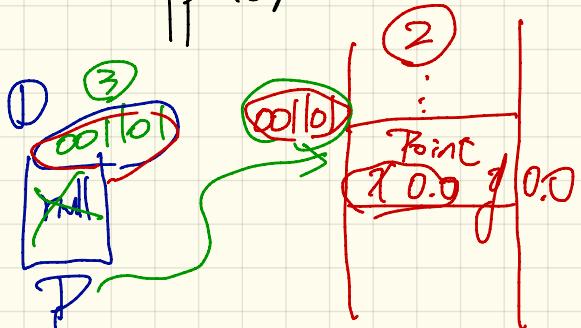
```

class Point {
    double x;
    double y;
    Point() {
        // default values
    }
}

```

③ Store 001101 into P.

Supplier



```

class PointApp {
    main() {
        Point P = new Point();
    }
}

```

User/Client

- We declare a variable P.
P can only store addresses of a memory portion that stores Point information. Point info.
- Allocate a memory portion for storing

Class ~~Point~~

double $x = 6$

double $y = 3$

~~Point (double x, double y)~~

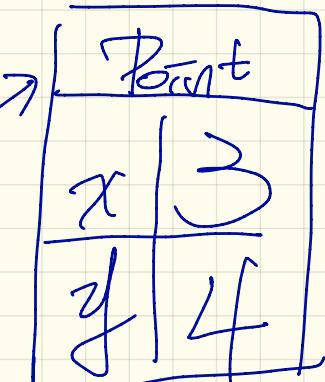
$p1$ this. $x = 6$

$p1$ this. $y = 3$

$p2$

$p2$

define



3

Point

$p1$

= new

Point

(3, 4)

5

$p2$

use



↓

Context object

Point

$p2$

= new

Point

(6, 8)

Context object

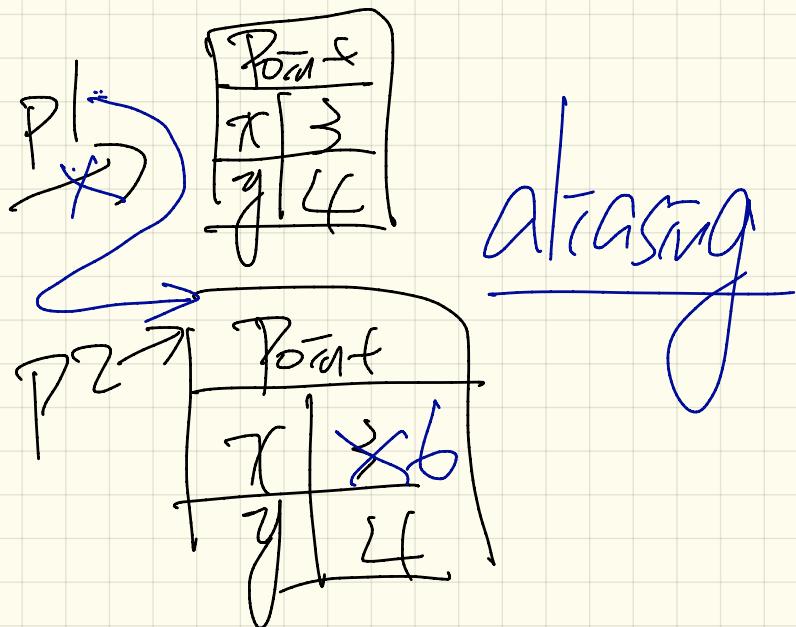
Point p1 = new - - -

Point p2 = new - -

p1 = p2 ;

p1.x = b

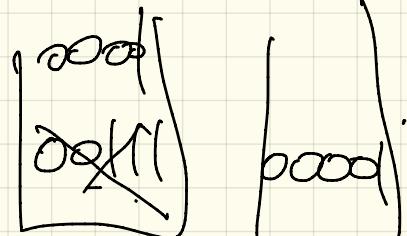
p2.x ?



$$\text{int } \bar{c} = 3; \quad \boxed{3} \overline{\bar{c}}$$

$$\text{int } \bar{j} = 4; \quad \boxed{4} \overline{\bar{j}}$$

$$\bar{c} == \bar{j} \quad F$$

Point p1 = new Point(3,4) 

Point p2 = new Point(3,4) P2

p1 = p2, p1 == p2